

## KEY STAGE 1

Children in Years 1 and 2 will be given a really solid foundation in the basic building blocks of mental and written arithmetic. Through being taught place value, children will develop an understanding of how numbers work, so that they are confident with 2-digit numbers and beginning to read and say numbers above 100.

### Addition and Subtraction:

A focus on **number bonds**, first via practical hands-on experiences and subsequently using memorisation techniques, enables a good grounding in these crucial facts, and ensures that all children leave Year 2 knowing the **pairs of numbers which make all the numbers up to 10** at least. Children will also have experienced and been taught pairs to 20. Children's knowledge of number facts enables them to **add several 1-digit numbers, and to add/subtract a 1-digit number to/from a 2-digit number**. Another important conceptual tool is the ability to **add/subtract 1 or 10**, and to understand which digit changes and why. This understanding is extended to enable children to add and subtract multiples of 10 to and from any 2-digit number. The most important application of this knowledge is the ability to **add or subtract any pair of 2-digit numbers by counting on or back in 10s and 1s**. Children may extend this to adding by **partitioning numbers** into 10s and 1s.

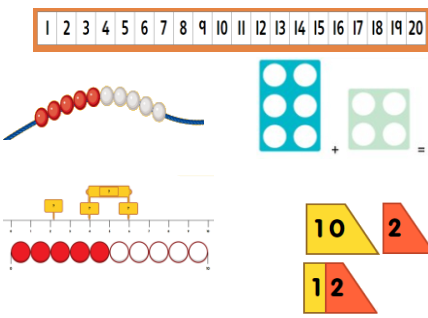
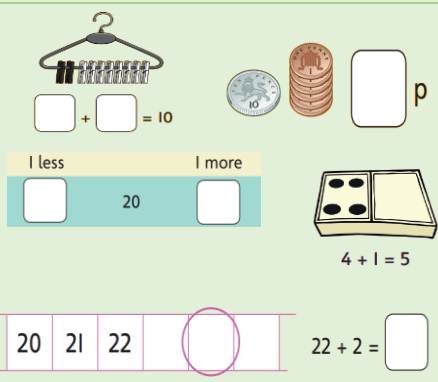
### Multiplication and Division:

Children will be taught to **count in 2s, 3s, 5s and 10s**, and will relate this skill to repeated addition. Children will meet and begin to learn the associated  **$\times 2$ ,  $\times 3$ ,  $\times 5$  and  $\times 10$  tables**. Engaging in a practical way with the concept of repeated addition and the use of **arrays** enables children to develop a preliminary understanding of multiplication, and asking them to consider how many groups of a given number **make a total** will introduce them to the idea of division. Children will also be taught to **double and halve** numbers, and will thus experience scaling up or down as a further aspect of multiplication and division.

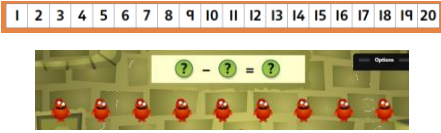

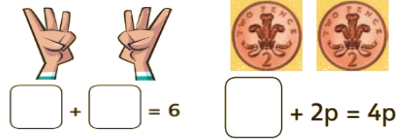


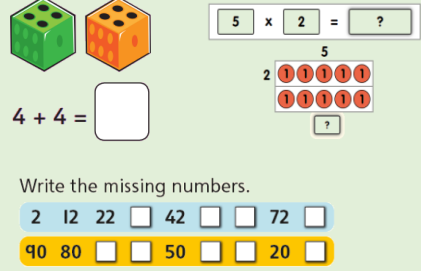
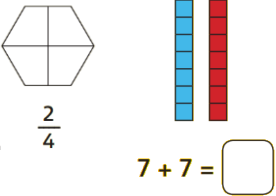

### Fractions:

Fractions will be introduced as numbers and as operators, specifically in relation to **halves, quarters and thirds**.

## Year 1

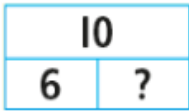

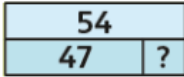
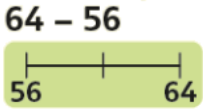
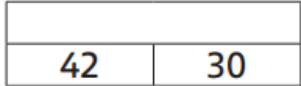
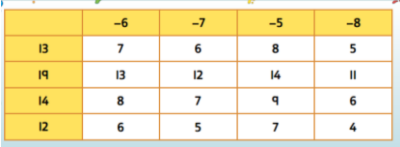
	Mental calculation	Visual or physical representation	Written calculation	Default for ALL children
Y1 +	Number bonds ('story' of 5, 6, 7, 8, 9 and 10) Count on in 1s from a given 2-digit number Add two 1-digit numbers Add three 1-digit numbers, spotting doubles or pairs to 10 Count on in 10s from any given 2-digit number Add 10 to any given 2-digit number Use number facts to add 1-digit numbers to 2-digit numbers e.g. Use $4 + 3$ to work out $24 + 3$ , $34 + 3$ Add by putting the larger number first			Pairs with a total of 10 Count in 1s Count in 10s Count on 1 from any given 2-digit number

# The Coombes Calculation Policy

<p>Y1 —</p>	<p>Number bonds ('story' of 5, 6, 7, 8, 9 and 10) Count back in 1s from a given 2-digit number Subtract one 1-digit number from another Count back in 10s from any given 2-digit number Subtract 10 from any given 2-digit number Use number facts to subtract 1-digit numbers from 2-digit numbers e.g. Use <math>7 - 2</math> to work out <math>27 - 2</math>, <math>37 - 2</math></p>		<table border="1" data-bbox="1301 213 1637 320"> <tbody> <tr> <td><math>5 + 0 = 5</math></td> <td><math>3 + 2 = 5</math></td> </tr> <tr> <td><math>0 + 5 = 5</math></td> <td><math>2 + 3 = 5</math></td> </tr> <tr> <td><math>4 + 1 = 5</math></td> <td></td> </tr> <tr> <td><math>1 + 4 = 5</math></td> <td></td> </tr> </tbody> </table> 	$5 + 0 = 5$	$3 + 2 = 5$	$0 + 5 = 5$	$2 + 3 = 5$	$4 + 1 = 5$		$1 + 4 = 5$		<p>Pairs with a total of 10 Count back in 1s from 20 to 0 Count back in 10s from 100 to 0 Count back 1 from any given 2-digit number</p>
$5 + 0 = 5$	$3 + 2 = 5$											
$0 + 5 = 5$	$2 + 3 = 5$											
$4 + 1 = 5$												
$1 + 4 = 5$												
<p>Y1 ×</p>	<p>Begin to count in 2s, 5s and 10s Begin to say what three 5s are by counting in 5s, or what four 2s are by counting in 2s, etc. Double numbers to 10</p>	 <p><math>3 \text{ lots of } 2 =</math> </p> <p><math>3 \times 2 =</math> <input type="text"/></p>  <p>Five jumps of 5 <input type="text"/></p>	 <p>Write the missing numbers.</p> <p>2 12 22 <input type="text"/> 42 <input type="text"/> <input type="text"/> 72 <input type="text"/></p> <p>90 80 <input type="text"/> <input type="text"/> 50 <input type="text"/> <input type="text"/> 20 <input type="text"/></p>	<p>Begin to count in 2s and 10s Double numbers to 5 using fingers</p>								
<p>Y1 ÷</p>	<p>Begin to count in 2s, 5s and 10s Find half of even numbers to 12 and know it is hard to halve odd numbers Find half of even numbers by sharing Begin to use visual and concrete arrays or 'sets of' to find how many sets of a small number make a larger number</p>	 <p><math>7 + 7 =</math> <input type="text"/></p>	<p><math>6 + 6 =</math> <input type="text"/></p> <p>Half of 8 = 4, 3, <math>4 \frac{1}{2}</math></p> 	<p>Begin to count in 2s and 10s Find half of even numbers by sharing</p>								

# The Coombes Calculation Policy

## Year 2

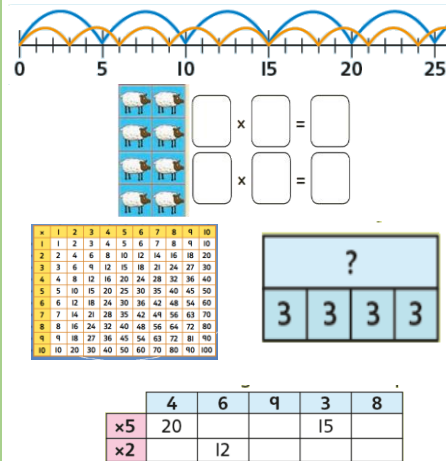
	Mental calculation	Visual or physical representation	Written calculation	Default for ALL children
Y2 +	<p>Number bonds – know all the pairs of numbers which make all the numbers to 12, and pairs with a total of 20</p> <p>Count on in 1s and 10s from any given 2-digit number</p> <p>Add two or three 1-digit numbers</p> <p>Add a 1-digit number to any 2-digit number using number facts, including bridging multiples of 10</p> <p>e.g. <math>45 + 4</math></p> <p>e.g. <math>38 + 7</math></p> <p>Add 10 and small multiples of 10 to any given 2-digit number</p> <p>Add any pair of 2-digit numbers</p>	 	<p><math>13 + 7 = 20</math></p> <p><math>7 + 13 = 20</math></p> <p><math>37 + 1 = \square</math></p> <p><math>37 + 10 = \square</math></p> <p><math>37 - 10 = \square</math></p> <p><math>37 - 1 = \square</math></p> <p><math>46 + \square = 50</math></p>	<p>Know pairs of numbers which make each total up to 10</p> <p>Add two 1-digit numbers</p> <p>Add a 1-digit number to a 2-digit number by counting on in 1s</p> <p>Add 10 and small multiples of 10 to a 2-digit number by counting on in 10s</p>
Y2 -	<p>Number bonds – know all the pairs of numbers which make all the numbers to 12</p> <p>Count back in 1s and 10s from any given 2-digit number</p> <p>Subtract a 1-digit number from any 2-digit number using number facts, including bridging multiples of 10</p> <p>e.g. <math>56 - 3</math></p> <p>e.g. <math>53 - 5</math></p> <p>Subtract 10 and small multiples of 10 from any given 2-digit number</p> <p>Subtract any pair of 2-digit numbers by counting back in 10s and 1s or by counting up</p>	   	<p><math>54 - \square = 24</math></p> <p><math>68 - 33</math></p> <p><math>60 - 30 = \square</math></p> <p><math>8 - 3 = \square</math></p> <p><math>\square - \square = 32</math></p> <p><math>32 + \square = \square</math></p>	<p>Know pairs of numbers which make each total up to 10</p> <p>Subtract a 1-digit number from a 2-digit number by counting back in 1s</p> <p>Subtract 10 and small multiples of 10 from a 2-digit number by counting back in 10s</p>

# The Coombes Calculation Policy

Y2

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Count in 2s, 5s and 10s  
 Begin to count in 3s  
 Begin to understand that multiplication is repeated addition and to use arrays  
 e.g.  $3 \times 4$  is three rows of 4 dots  
 Begin to learn the  $\times 2$ ,  $\times 3$ ,  $\times 5$  and  $\times 10$  tables, seeing these as 'lots of'  
 e.g. 5 lots of 2, 6 lots of 2, 7 lots of 2  
 Double numbers up to 20  
 Begin to double multiples of 5 to 100  
 Begin to double 2-digit numbers less than 50 with 1s digits of 1, 2, 3, 4 or 5



Double 16 is   
 Double  is 28  
 Half of 24 is   
 Half of  is 20

$2 \times 3 =$    
 $5 \times 5 =$

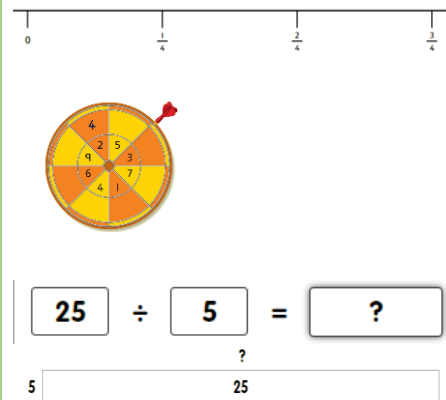
$2 \times$    $= 6 \times 3$

Count in 2s, 5s and 10s  
 Begin to use and understand simple arrays  
 e.g.  $2 \times 4$  is two lots of four  
 Double numbers up to 10  
 Double multiples of 10 to 50

Y2

÷

Count in 2s, 5s and 10s  
 Begin to count in 3s  
 Using fingers, say where a given number is in the 2s, 5s or 10s count  
 e.g. 8 is the fourth number when I count in 2s  
 Relate division to grouping  
 e.g. How many groups of 5 in 15?  
 Halve numbers to 20  
 Begin to halve numbers to 40 and multiples of 10 to 100  
 Find  $\frac{1}{2}$ ,  $\frac{1}{3}$ ,  $\frac{1}{4}$  and  $\frac{3}{4}$  of a quantity of objects and of amounts (whole number answers)



$\frac{1}{4}$  of 20 = 5  
 $4 \times 5 = 20$

$21 \div 3 =$

$3 \times 4 = 12$        $4 \times 3 = 12$   
 $12 \div 3 = 4$        $12 \div 4 = 3$

Count in 2s, 5s and 10s  
 Say how many rows in a given array  
 e.g. How many rows of 5 are in an array of  $3 \times 5$ ?  
 Halve numbers to 12  
 Find  $\frac{1}{2}$  of amounts

## LOWER KEY STAGE 2

*In Lower Key Stage 2, children build on the concrete and conceptual understandings they have gained in Key Stage 1 to develop a real mathematical understanding of the four operations, in particular developing arithmetical competence in relation to larger numbers.*

### Addition and subtraction:

Children are taught to use **place value** and number facts to add and subtract numbers mentally and they will develop a range of strategies to enable them to discard the 'counting in 1s' or fingers-based methods of Key Stage 1. In particular, children will learn to **add and subtract multiples and near multiples of 10, 100 and 1000**, and will become fluent in complementary addition as an accurate means of achieving fast and accurate answers to **3-digit subtractions**. Standard **written methods** for adding larger numbers are taught, learned and consolidated, and written column subtraction is also introduced.

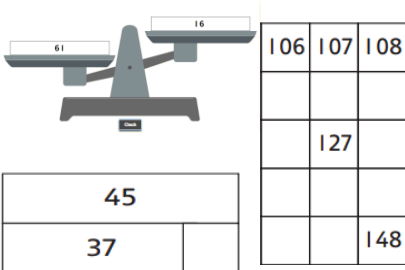
### Multiplication and division:

This key stage is also the period during which all the **multiplication and division facts** are thoroughly memorised, including all facts up to  $12 \times 12$ . Efficient written methods for **multiplying or dividing a 2-digit or 3-digit number by a 1-digit number** are taught, as are mental strategies for multiplication or division with large but 'friendly' numbers, e.g. when dividing by 5 or multiplying by 20.

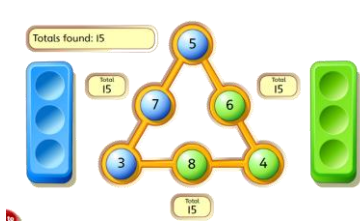
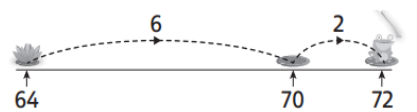
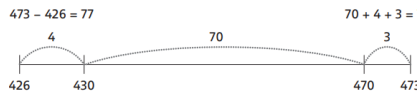


### Fractions and decimals:

Children will develop their understanding of fractions, learning to **reduce a fraction to its simplest form**, as well as finding **non-unit fractions of amounts and quantities**. The concept of a decimal number is introduced and children consolidate a firm understanding of **1-place decimals, multiplying and dividing whole numbers by 10 and 100**.

## Year 3

	Mental calculation	Visual or physical representation	Written calculation	Default for ALL children
Y3 +	<p>Know pairs with each total to 20 e.g. <math>2 + 6 = 8</math>, <math>12 + 6 = 18</math>, <math>7 + 8 = 15</math></p> <p>Know pairs of multiples of 10 with a total of 100</p> <p>Add any two 2-digit numbers by counting on in 10s and 1s or by using partitioning</p> <p>Add multiples and near multiples of 10 and 100</p> <p>Perform place-value additions without a struggle e.g. <math>300 + 8 + 50 = 358</math></p> <p>Use place value and number facts to add a 1-digit or 2-digit number to a 3-digit number e.g. <math>104 + 56</math> is 160 since <math>104 + 50 = 154</math> and <math>6 + 4 = 10</math></p> <p><math>676 + 8</math> is 684 since <math>8 = 4 + 4</math> and</p>	 <p><math>\square + 134 = 123 + 40</math></p>	<p>Use expanded column addition to add two or three 3-digit numbers or three 2-digit numbers</p> <p>Begin to use compact column addition to add numbers with 3 digits</p> <p>Begin to add like fractions e.g. <math>\frac{3}{8} + \frac{1}{8} + \frac{1}{8}</math></p> <p>Recognise fractions that add to 1 e.g. <math>\frac{1}{4} + \frac{3}{4}</math> e.g. <math>\frac{3}{5} + \frac{2}{5}</math></p> <p><math>\square + \square + \square = 16</math></p>	<p>Know pairs of numbers which make each total up to 10, and which total 20</p> <p>Add two 2-digit numbers by counting on in 10s and 1s e.g. <math>56 + 35</math> is <math>56 + 30</math> and then add the 5</p> <p>Understand simple place-value additions e.g. <math>200 + 40 + 5 = 245</math></p> <p>Use place value to add multiples of 10 or 100</p>

# The Coombes Calculation Policy

	<p><math>76 + 4 + 4 = 84</math></p> <p>Add pairs of 'friendly' 3-digit numbers e.g. <math>320 + 450</math></p> <p>Begin to add amounts of money using partitioning</p>		<p><math>47 + 35</math>    <math>40 + 30 = \square</math>    <math>7 + 5 = \square</math></p> <p>Total: <math>\square + \square = \square</math></p> $\begin{array}{r} 318 \\ 121 \\ + 243 \\ \hline \\ \hline \end{array}$	
<p>Y3 —</p>	<p>Know pairs with each total to 20 e.g. <math>8 - 2 = 6</math> e.g. <math>18 - 6 = 12</math> e.g. <math>15 - 8 = 7</math></p> <p>Subtract any two 2-digit numbers</p> <p>Perform place-value subtractions without a struggle e.g. <math>536 - 30 = 506</math></p> <p>Subtract 2-digit numbers from numbers &gt; 100 by counting up e.g. <math>143 - 76</math> is done by starting at 76. Then add 4 (80), then add 20 (100), then add 43, making the difference a total of 67</p> <p>Subtract multiples and near multiples of 10 and 100</p> <p>Subtract, when appropriate, by counting back or taking away, using place value and number facts</p> <p>Find change from £1, £5 and £10</p>	 <p><math>473 - 426 = 77</math>                      <math>70 + 4 + 3 = 77</math></p>   	<p>Use counting up as an informal written strategy for subtracting pairs of 3-digit numbers e.g. <math>423 - 357</math></p> <p>Begin to subtract like fractions e.g. <math>\frac{7}{8} - \frac{3}{8}</math></p> $\square \square 4 - \square \square = \square \square 8$ $\begin{array}{r} 37 + 1 = \square \\ 37 + 10 = \square \\ 37 - 10 = \square \\ 37 - 1 = \square \end{array} \quad \begin{array}{r} 300 \quad 120 \\ 400 \quad 30 \quad 14 \\ - 200 \quad 80 \quad 6 \\ \hline \\ \hline \end{array}$	<p>Know pairs of numbers which make each total up to 10, and which total 20</p> <p>Count up to subtract 2-digit numbers e.g. <math>72 - 47</math></p> <p>Subtract multiples of 5 from 100 by counting up e.g. <math>100 - 35</math></p> <p>Subtract multiples of 10 and 100</p>

# The Coombes Calculation Policy

**Y3**  
**×**

Know by heart all the multiplication facts in the x2, x3, x4, x5, x8 and x10 tables

Multiply whole numbers by 10 and 100

Recognise that multiplication is commutative

Use place value and number facts in mental multiplication  
e.g.  $30 \times 5$  is  $15 \times 10$

Partition teen numbers to multiply by a 1-digit number  
e.g.  $3 \times 14$  as  $3 \times 10$  and  $3 \times 4$

Double numbers up to 50

$5$   
 $36$   
 $\times 10$   
 $670$

$4 \times 13$

$4 \times 10$   
 $4 \times 3$

$40$   
 $12$

$\times$	$10$	$3$
$4$		

Use partitioning (grid multiplication) to multiply 2-digit and 3-digit numbers by 'friendly' 1-digit numbers

**$9 \times 11 \cdot 6$**

$6 \times 23$

$\times$	$20$	$3$	
$6$			$=$ <input type="text"/>

Know by heart the x2, x3, x5 and x10 tables

Double given tables facts to get others

Double numbers up to 25 and multiples of 5 to 50

**Y3**  
**÷**

Know by heart all the division facts derived from the x2, x3, x4, x5, x8 and x10 tables

Divide whole numbers by 10 or 100 to give whole number answers

Recognise that division is not commutative

Use place value and number facts in mental division  
e.g.  $84 \div 4$  is half of 42

Divide larger numbers mentally by subtracting the 10th multiple as appropriate, including those with remainders  
e.g.  $57 \div 3$  is  $10 + 9$  as  $10 \times 3 = 30$  and  $9 \times 3 = 27$

Halve even numbers to 100, halve odd numbers to 20

$5$	$+$	$3$	$=$	$8$
$8$	$\times$	$6$	$=$	$48$
$48$	$\times$	$10$	$=$	$480$

$128$

$50 + 10 + 4 = 64$

$56$	$\times$	$8$	$=$	$?$
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50      6

8

$?$   $+$   $?$   $=$   $?$

Perform divisions just above the 10th multiple using horizontal or vertical jottings and understanding how to give a remainder as a whole number

Find unit fractions of quantities and begin to find non-unit fractions of quantities

**$360 \div 10 = \underline{\quad} \underline{\quad}$**

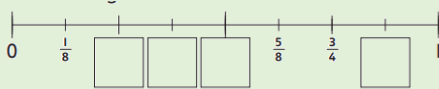
$0$        $30$        $56$   
 $54$

Know by heart the division facts derived from the x2, x3, x5 and x10 tables

Halve even numbers up to 50 and multiples of 10 to 100

Perform divisions within the tables including those with remainders  
e.g.  $38 \div 5$

## Year 4

	Mental calculation	Visual or physical representation	Written calculation	Default for ALL children																				
<b>Y4</b> <b>+</b>	Add any two 2-digit numbers by partitioning or counting on Know by heart/quickly derive number bonds to 100 and to £1 Add to the next 100, £1 and whole number e.g. $234 + 66 = 300$ e.g. $3 \cdot 4 + 0 \cdot 6 = 4$ Perform place-value additions without a struggle e.g. $300 + 8 + 50 + 4000 = 4358$ Add multiples and near multiples of 10, 100 and 1000 Add £1, 10p, 1p to amounts of money Use place value and number facts to add 1-, 2-, 3- and 4-digit numbers where a mental calculation is appropriate e.g. $4004 + 156$ by knowing that $6 + 4 = 10$ and that $4004 + 150 = 4154$ so the total is 4160	$\begin{array}{r l r} - & \square & + \square \\ - & \square & + \square \\ - & \square & + \square \end{array}$ $\begin{array}{r l r} & \mathbf{295} & \\ & \mathbf{168} & \\ & \mathbf{444} & \end{array}$ $3045 > 3 \begin{array}{ c c } \hline \square & \square \\ \hline \end{array} 5$ $8020 > 8 \begin{array}{ c c } \hline \square & \square \\ \hline \end{array} 0$ <table border="1"> <tr> <td>+</td> <td>3459</td> <td>7071</td> <td>1009</td> <td>6880</td> </tr> <tr> <td>2000</td> <td>5459</td> <td></td> <td></td> <td></td> </tr> <tr> <td>200</td> <td></td> <td></td> <td></td> <td></td> </tr> <tr> <td>20</td> <td></td> <td>7091</td> <td></td> <td></td> </tr> </table>	+	3459	7071	1009	6880	2000	5459				200					20		7091			Column addition for 3-digit and 4-digit numbers e.g. $\begin{array}{r} 5347 \\ 2286 \\ + 1495 \\ \hline 121 \\ \hline 9128 \end{array}$ Add like fractions e.g. $\frac{3}{5} + \frac{4}{5} = \frac{7}{5} = 1 \frac{2}{5}$ Be confident with fractions that add to 1 and fraction complements to 1 e.g. $\frac{2}{3} + \_ = 1$ 	Add any 2-digit numbers by partitioning or counting on Number bonds to 20 Know pairs of multiples of 10 with a total of 100 Add 'friendly' larger numbers using knowledge of place value and number facts Use expanded column addition to add 3-digit numbers
+	3459	7071	1009	6880																				
2000	5459																							
200																								
20		7091																						
<b>Y4</b> <b>-</b>	Subtract any two 2-digit numbers Know by heart/quickly derive number bonds to 100 Perform place-value subtractions without a struggle e.g. $4736 - 706 = 4030$ Subtract multiples and near multiples of 10, 100, 1000, £1 and 10p	$\begin{array}{r} \textcircled{10} \quad 100 \quad 110 \quad 13 \\ \quad 200 \quad 20 \quad 3 \\ - \quad 100 \quad 70 \quad 8 \\ \hline \hline \end{array}$	Use expanded column subtraction for 3- and 4-digit numbers Use complementary addition to subtract amounts of money, and for subtractions where the larger number is a near multiple of 1000 or 100 e.g. $2002 - 1865$	Use counting up with confidence to solve most subtractions, including finding complements to multiples of 100 e.g. $512 - 287$ e.g. $67 + \_ = 100$																				



# The Coombes Calculation Policy

Subtract multiples of 0.1

Subtract by counting up

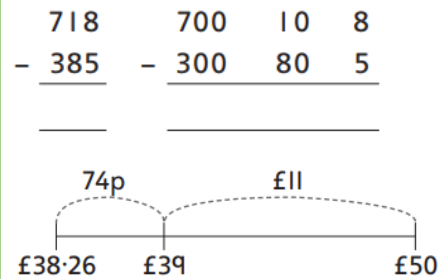
e.g.  $503 - 368$  is done by adding

$368 + 2 + 30 + 100 + 3$  (so we added 135)

Subtract, when appropriate, by counting back or taking away, using place value and number facts

Subtract £1, 10p, 1p from amounts of money

Find change from £10, £20 and £50



Subtract like fractions

e.g.  $\frac{4}{5} - \frac{3}{5} = \frac{1}{5}$

Use fractions that add to 1 to find fraction complements to 1

e.g.  $1 - \frac{2}{3} = \frac{1}{3}$

9969 9959 9949 9939 \_\_\_\_\_

Y4  
x

Know by heart all the multiplication facts up to  $12 \times 12$

Recognise factors up to 12 of 2-digit numbers

Multiply whole numbers and 1-place decimals by 10, 100, 1000

Multiply multiples of 10, 100 and 1000 by 1-digit numbers

e.g.  $300 \times 6$

e.g.  $4000 \times 8$

Use understanding of place value and number facts in mental multiplication

e.g.  $36 \times 5$  is half of  $36 \times 10$

e.g.  $50 \times 60 = 3000$

Partition 2-digit numbers to multiply by a 1-digit number mentally

e.g.  $4 \times 24$  as  $4 \times 20$  and  $4 \times 4$

Multiply near multiples by rounding

e.g.  $33 \times 19$  as  $(33 \times 20) - 33$

Find doubles to double 100 and beyond using partitioning

Begin to double amounts of money

e.g.  $£35.60$  doubled is  $£71.20$

100s	10s	1s	0.1s

01	02	03	04	05	06	07	08	09	1
11	12	13	14	15	16	17	18	19	2
21	22	23	24	25	26	27	28	29	3
31	32	33	34	35	36	37	38	39	4
41	42	43	44	45	46	47	48	49	5
51	52	53	54	55	56	57	58	59	6
61	62	63	64	65	66	67	68	69	7
71	72	73	74	75	76	77	78	79	8
81	82	83	84	85	86	87	88	89	9
91	92	93	94	95	96	97	98	99	10

$13 \times 46$

x	40	6
10		
3		

Use a vertical written method to multiply a 1-digit number by a 3-digit number (ladder method)

Use an efficient written method to multiply a 2-digit number by a number between 10 and 20 by partitioning (grid method)

Know by heart multiplication tables up to

$10 \times 10$

Multiply whole numbers by 10 and 100

Use the grid method to multiply a 2-digit or a 3-digit number by a number  $\leq 6$



# The Coombes Calculation Policy

Y4

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Know by heart all the division facts up to  $144 \div 12$

Divide whole numbers by 10, 100, to give whole number answers or answers with 1 decimal place

Divide multiples of 100 by 1-digit numbers using division facts

e.g.  $3200 \div 8 = 400$

Use place value and number facts in mental division

e.g.  $245 \div 20$  is half of  $245 \div 10$

Divide larger numbers mentally by subtracting the 10th or 20th multiple as appropriate

e.g.  $156 \div 6$  is  $20 + 6$  as  $20 \times 6 = 120$  and  $6 \times 6 = 36$

Find halves of even numbers to 200 and beyond using partitioning

Begin to halve amounts of money

e.g. half of  $\pounds 52.40$  is  $\pounds 26.20$

$$87 \div 5$$

$$\square \times 5 = 87$$

$$10 \times 5 = 50$$

$$37$$

$$7 \times 5 = 35$$

$$2$$

$$10 + 2, r 7$$

$$87 \div 5 = 12 r 7$$

$$\begin{array}{r} 10 + 5 r4 = 15 r4 \\ 6 \overline{) 89} \\ - 60 \\ \hline 29 \\ - 24 \\ \hline 5 \end{array}$$

Use a written method to divide a 2-digit or a

3-digit number by a 1-digit number

Give remainders as whole numbers

Begin to reduce fractions to their simplest forms

Find unit and non-unit fractions of larger amounts

Know by heart all the division facts up to

$$100 \div 10$$

Divide whole numbers by 10 and 100 to give whole number answers or answers with

1 decimal place

Perform divisions just above the 10th multiple using the

written layout and understanding how to give a

remainder as a whole number

Find unit fractions of amounts



# The Coombes Calculation Policy

## UPPER KEY STAGE 2

Children move on from dealing mainly with whole numbers to performing arithmetic operations with both decimals and fractions.

### Addition and subtraction:

Children will consolidate their use of written procedures in adding and subtracting whole numbers with up to 6 digits and also decimal numbers with up to 2 decimal places. Mental strategies for adding and subtracting increasingly large numbers will also be taught. These will draw upon children's robust understanding of place value and knowledge of number facts. Negative numbers will be added and subtracted.

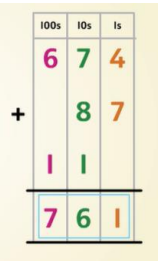
### Multiplication and division:

Efficient and flexible strategies for mental multiplication and division are taught and practised, so that children can perform appropriate calculations even when the numbers are large, such as  $40\,000 \times 6$  or  $40\,000 \div 8$ . In addition, it is in Years 5 and 6 that children extend their knowledge and confidence in using written algorithms for multiplication and division.

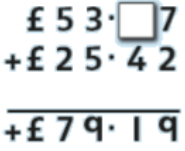
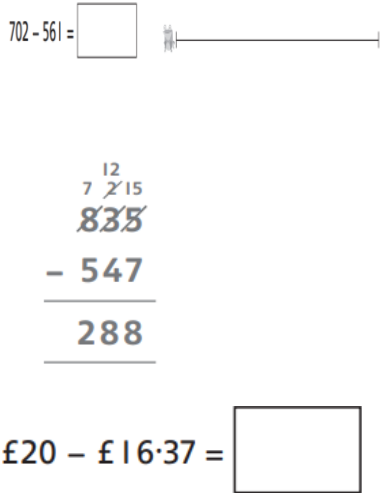
### Fractions, decimals, percentages and ratio:

Fractions and decimals are also added, subtracted, divided and multiplied, within the bounds of children's understanding of these more complicated numbers. Children will also calculate simple percentages and ratios.

## Year 5

	Mental calculation	Visual or physical representation	Written calculation	Default for ALL children
<b>Y5</b> <b>+</b>	Know number bonds to 1 and to the next whole number Add to the next 10 from a decimal number e.g. $13.6 + 6.4 = 20$ Add numbers with 2 significant digits only, using mental strategies e.g. $3.4 + 4.8$ e.g. $23\,000 + 47\,000$ Add 1- or 2-digit multiples of 10, 100, 1000, 10 000 and 100 000 e.g. $8000 + 7000$ e.g. $600\,000 + 700\,000$ Add near multiples of 10, 100, 1000, 10 000 and 100 000 to other numbers e.g. $82\,472 + 30\,004$ Add decimal numbers which are near multiples of 1	$832190 + 20\,004 = \underline{\hspace{2cm}}$ $56742 + \boxed{\phantom{000}} + \boxed{\phantom{000}} - \boxed{\phantom{000}} = 55843$  $\boxed{\phantom{00}} \cdot \boxed{\phantom{00}} \text{m} + \boxed{\phantom{00}} \cdot \boxed{\phantom{00}} \text{m} = 0.5 \text{m}$	Use column addition to add two or three whole numbers with up to 5 digits Use column addition to add any pair of 2-place decimal numbers, including amounts of money Begin to add related fractions using equivalences e.g. $\frac{1}{2} + \frac{1}{6} = \frac{3}{6} + \frac{1}{6}$ Choose the most efficient method in any given situation	Add numbers with only 2 digits which are not zeros e.g. $3.4 + 5.8$ Derive swiftly and without any difficulty number bonds to 100 Add 'friendly' large numbers using knowledge of place value and number facts Use expanded column addition to add pairs of 4- and 5-digit numbers

# The Coombes Calculation Policy

	<p>or 10, including money            e.g. <math>6.34 + 1.99</math>            e.g. <math>£34.59 + £19.95</math></p> <p>Use place value and number facts to add two or more 'friendly' numbers, including money and decimals            e.g. <math>3 + 8 + 6 + 4 + 7</math>            e.g. <math>0.6 + 0.7 + 0.4</math>            e.g. <math>2056 + 44</math></p>			
<p><b>Y5</b> —</p>	<p>Subtract numbers with 2 significant digits only, using mental strategies            e.g. <math>6.2 - 4.5</math>            e.g. <math>72\,000 - 47\,000</math></p> <p>Subtract 1- or 2-digit multiples of 10, 100, 1000, 10 000 and 100 000            e.g. <math>8000 - 3000</math>            e.g. <math>60\,000 - 200\,000</math></p> <p>Subtract 1- or 2-digit near multiples of 10, 100, 1000, 10 000 and 100 000 from other numbers            e.g. <math>82\,472 - 30\,004</math></p> <p>Subtract decimal numbers which are near multiples of 1 or 10, including money            e.g. <math>6.34 - 1.99</math>            e.g. <math>£34.59 - £19.95</math></p> <p>Use counting up subtraction, with knowledge of number bonds to 10, 100 or £1, as a strategy to perform mental subtraction            e.g. <math>£10 - £3.45</math>            e.g. <math>1000 - 782</math></p> <p>Recognise fraction complements to 1 and to the next whole number            e.g. <math>1\frac{2}{5} + \frac{3}{5} = 2</math></p>		<p>Use compact or expanded column subtraction to subtract numbers with up to 5 digits</p> <p>Use complementary addition for subtractions where the larger number is a multiple or near multiple of 1000</p> <p>Use complementary addition for subtractions of decimal numbers with up to 2 places, including amounts of money</p> <p>Begin to subtract related fractions using equivalences            e.g. <math>\frac{1}{2} - \frac{1}{6} = \frac{2}{6}</math></p> <p>Choose the most efficient method in any given situation.</p> <p><math>3004 - 1979 = \square</math></p> <p><math>8012 - 6895 = \square</math></p>	<p>Derive swiftly and without difficulty number bonds to 100</p> <p>Use counting up with confidence to solve most subtractions, including finding complements to multiples of 1000            e.g. <math>3000 - 2387</math></p>

# The Coombes Calculation Policy

<p><b>Y5</b> <b>×</b></p>	<p>Know by heart all the multiplication facts up to <math>12 \times 12</math></p> <p>Multiply whole numbers and 1- and 2-place decimals by 10, 100, 1000, 10 000</p> <p>Use knowledge of factors and multiples in multiplication e.g. <math>43 \times 6</math> is double <math>43 \times 3</math> e.g. <math>28 \times 50</math> is <math>\frac{1}{2}</math> of <math>28 \times 100 = 1400</math></p> <p>Use knowledge of place value and rounding in mental multiplication e.g. <math>67 \times 199</math> as <math>67 \times 200 - 67</math></p> <p>Use doubling and halving as a strategy in mental multiplication e.g. <math>58 \times 5</math> is half of <math>58 \times 10</math> e.g. <math>34 \times 4</math> is 34 doubled twice</p> <p>Partition 2-digit numbers, including decimals, to multiply by a 1-digit number mentally e.g. <math>6 \times 27</math> as <math>6 \times 20</math> (120) plus <math>6 \times 7</math> (42) e.g. <math>6.3 \times 7</math> as <math>6 \times 7</math> (42) plus <math>0.3 \times 7</math> (2.1)</p> <p>Double amounts of money by partitioning e.g. £37.45 doubled is £37 doubled (£74) plus 45p doubled (90p) giving a total of £74.90</p>	<div style="text-align: center;"> <math display="block">\begin{array}{r} 427 \\ \times 6 \\ \hline \end{array}</math> </div> <table border="1" style="margin: 10px auto;"> <thead> <tr> <th></th> <th>Multiples of 6 ▼</th> <th>Not multiples of 6</th> </tr> </thead> <tbody> <tr> <th>Multiples of 5 ▼</th> <td style="text-align: center;">30</td> <td style="text-align: center;">50</td> </tr> <tr> <th>Not multiples of 5</th> <td style="text-align: center;">48 42</td> <td></td> </tr> </tbody> </table> <p><math>24 \times 34.2 = \square</math> <math>24 \times 342</math></p> <table border="1" style="margin: 10px auto;"> <tbody> <tr> <td></td> <td style="text-align: center;">300</td> <td style="text-align: center;">40</td> <td style="text-align: center;">2</td> </tr> <tr> <td style="text-align: center;">20</td> <td style="text-align: center;">6000</td> <td></td> <td></td> </tr> <tr> <td style="text-align: center;">4</td> <td></td> <td></td> <td></td> </tr> </tbody> </table> <p>So <math>24 \times 34.2 = \square</math></p> <div style="text-align: center;"> <math display="block">\frac{3}{5} \times 2 = 1 \frac{1}{5}</math> </div>		Multiples of 6 ▼	Not multiples of 6	Multiples of 5 ▼	30	50	Not multiples of 5	48 42			300	40	2	20	6000			4				<p>Use short multiplication to multiply a 1-digit number by a number with up to 4 digits</p> <p>Use long multiplication to multiply 3-digit and 4-digit numbers by a number between 11 and 20</p> <p>Choose the most efficient method in any given situation</p> <p>Find simple percentages of amounts e.g. 10%, 5%, 20%, 15% and 50%</p> <p>Begin to multiply fractions and mixed numbers by whole numbers <math>\leq 10</math> e.g. <math>4 \times \frac{2}{3} = \frac{8}{3} = 2 \frac{2}{3}</math></p>	<p>Know multiplication tables to <math>11 \times 11</math></p> <p>Multiply whole numbers and 1-place decimals by 10, 100 and 1000</p> <p>Use knowledge of factors as aids to mental multiplication e.g. <math>13 \times 6</math> is double <math>13 \times 3</math> e.g. <math>23 \times 5</math> is <math>\frac{1}{2}</math> of <math>23 \times 10</math></p> <p>Use the grid method to multiply numbers with up to 4 digits by 1-digit numbers</p> <p>Use the grid method to multiply 2-digit numbers by 2-digit numbers</p>			
	Multiples of 6 ▼	Not multiples of 6																										
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<p><b>Y5</b> <b>÷</b></p>	<p>Know by heart all the division facts up to <math>144 \div 12</math></p> <p>Divide whole numbers by 10, 100, 1000, 10 000 to give whole number answers or answers with 1, 2 or 3 decimal places</p> <p>Use doubling and halving as mental division strategies e.g. <math>34 \div 5</math> is <math>(34 \div 10) \times 2</math></p> <p>Use knowledge of multiples and factors, as well as tests for divisibility, in mental division e.g. <math>246 \div 6</math> is <math>123 \div 3</math></p>	<div style="text-align: center;"> <math display="block">\square\square\square \div 100 = \square.\square</math> </div> <table border="1" style="margin: 10px auto;"> <thead> <tr> <th rowspan="2">Number</th> <th colspan="4">Divisible by:</th> </tr> <tr> <th>2</th> <th>5</th> <th>9</th> <th>4</th> </tr> </thead> <tbody> <tr> <td>76</td> <td style="text-align: center;">✓</td> <td style="text-align: center;">x</td> <td style="text-align: center;">x</td> <td style="text-align: center;">✓</td> </tr> <tr> <td>85</td> <td></td> <td></td> <td></td> <td></td> </tr> <tr> <td>142</td> <td></td> <td></td> <td></td> <td></td> </tr> </tbody> </table>	Number	Divisible by:				2	5	9	4	76	✓	x	x	✓	85					142					<p>Use short division to divide a number with up to 4 digits by a number <math>\leq 12</math></p> <p>Give remainders as whole numbers or as fractions</p> <p>Find non-unit fractions of large amounts</p> <p>Turn improper fractions into mixed numbers and vice versa</p> <p>Choose the most efficient</p>	<p>Know by heart division facts up to <math>121 \div 11</math></p> <p>Divide whole numbers by 10, 100 or 1000 to give answers with up to 1 decimal place</p> <p>Use doubling and halving as mental division strategies</p> <p>Use an efficient written method to divide numbers <math>\leq 1000</math> by 1-digit numbers</p>
Number	Divisible by:																											
	2	5	9	4																								
76	✓	x	x	✓																								
85																												
142																												



# The Coombes Calculation Policy

<p>e.g. We know that 525 divides by 25 and by 3</p> <p>Halve amounts of money by partitioning e.g. <math>\frac{1}{2}</math> of £75.40 = <math>\frac{1}{2}</math> of £75 (£37.50) plus half of 40p (20p) which is £37.70</p> <p>Divide larger numbers mentally by subtracting the 10th or 100th multiple as appropriate e.g. <math>96 \div 6</math> is <math>10 + 6</math>, as <math>10 \times 6 = 60</math> and <math>6 \times 6 = 36</math> e.g. <math>312 \div 3</math> is <math>100 + 4</math> as <math>100 \times 3 = 300</math> and <math>4 \times 3 = 12</math></p> <p>Know tests for divisibility by 2, 3, 4, 5, 6, 9 and 25</p> <p>Know square numbers and cube numbers</p> <p>Reduce fractions to their simplest form</p>	$\frac{4}{10} < \frac{5}{10} \text{ SO } \frac{2}{5} < \frac{5}{10}$ $474 \div 4 = 118 \text{ r}2 \text{ or } 118 \frac{\square}{\square}$ $\begin{array}{r} 239 \text{ r}2 \\ 4 \overline{) 91538} \end{array}$	<p>method in any given situation</p>	<p>Find unit fractions of 2- and 3-digit numbers</p>
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## Year 6

	Mental calculation		Written calculation	Default for ALL children				
<p><b>Y6</b> <b>+</b></p>	<p>Know by heart number bonds to 100 and use these to derive related facts e.g. <math>3.46 + 0.54</math></p> <p>Derive, quickly and without difficulty, number bonds to 1000</p> <p>Add small and large whole numbers where the use of place value or number facts makes the calculation do-able mentally e.g. <math>34\,000 + 8000</math></p> <p>Add multiples of powers of 10 and near multiples of the same e.g. <math>6345 + 199</math></p> <p>Add negative numbers in a context such as temperature where the numbers make sense</p> <p>Add two 1-place decimal numbers or two</p>	$19\,000 + 23 + 16\,000 = \square$ $38\,236 + 7678 + 46 = \square$ <table border="1" data-bbox="938 1045 1034 1189"> <tr> <td>2</td> <td>4</td> </tr> <tr> <td>5</td> <td>8</td> </tr> </table> $24 + 58 + 25 + 48 = 155$ $10 + 16 \div 4 = \square$ $(43 - 30) + 2 = \square$	2	4	5	8	<p>Use column addition to add numbers with up to 5 digits</p> <p>Use column addition to add decimal numbers with up to 3 decimal places</p> <p>Add mixed numbers and fractions with different denominators</p>	<p>Derive, swiftly and without difficulty, number bonds to 100</p> <p>Use place value and number facts to add 'friendly' large or decimal numbers e.g. <math>3.4 + 6.6</math> e.g. <math>26\,000 + 54\,000</math></p> <p>Use column addition to add numbers with up to 4-digits</p> <p>Use column addition to add pairs of 2-place decimal numbers</p>
2	4							
5	8							

# The Coombes Calculation Policy

	<p>2-place decimal numbers less than 1 e.g. <math>4.5 + 6.3</math> e.g. <math>0.74 + 0.33</math></p> <p>Add positive numbers to negative numbers e.g. <i>Calculate a rise in temperature or continue a sequence beginning with a negative number</i></p>	<p><math>28.21 + 16.47 + 3.09 =</math></p> <table border="1" data-bbox="887 248 1077 432"> <tr><td></td><td>2</td><td>8</td><td>.</td><td>2</td><td>1</td></tr> <tr><td></td><td>1</td><td>6</td><td>.</td><td>4</td><td>7</td></tr> <tr><td>+</td><td></td><td>3</td><td>.</td><td>0</td><td>9</td></tr> <tr><td colspan="6"><hr/></td></tr> <tr><td></td><td></td><td></td><td></td><td></td><td></td></tr> <tr><td></td><td></td><td></td><td></td><td></td><td></td></tr> </table> <p><math>-17 + 5 = \square</math> <math>-20 + 16 = \square</math></p>		2	8	.	2	1		1	6	.	4	7	+		3	.	0	9	<hr/>																			
	2	8	.	2	1																																			
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+		3	.	0	9																																			
<hr/>																																								
<p><b>Y6</b> –</p>	<p>Use number bonds to 100 to perform mental subtraction of any pair of integers by complementary addition e.g. <math>1000 - 654</math> as <math>46 + 300</math> in our heads</p> <p>Use number bonds to 1 and 10 to perform mental subtraction of any pair of 1-place or 2-place decimal numbers using complementary addition and including money e.g. <math>10 - 3.65</math> as <math>0.35 + 6</math> e.g. <math>£50 - £34.29</math> as <math>71p + £15</math></p> <p>Use number facts and place value to perform mental subtraction of large numbers or decimal numbers with up to 2 places e.g. <math>467\,900 - 3005</math> e.g. <math>4.63 - 1.02</math></p> <p>Subtract multiples of powers of 10 and near multiples of the same</p> <p>Subtract negative numbers in a context such as temperature where the numbers make sense</p>	<p><math>12.9 - 0.9 = \square</math> <math>10 - 6.7 = \square</math></p> <p><math>6\frac{1}{2} - c = 5</math></p> <table border="1" data-bbox="891 807 1240 975"> <tr><td colspan="2">5.2</td></tr> <tr><td>3.3</td><td>1.9</td></tr> </table>	5.2		3.3	1.9	<p>Use column subtraction to subtract numbers with up to 6 digits</p> <p>Use complementary addition for subtractions where the larger number is a multiple or near multiple of 1000 or 10 000</p> <p>Use complementary addition for subtractions of decimal numbers with up to 3 places, including money</p> <p>Subtract mixed numbers and fractions with different denominators</p>	<p>Use number bonds to 100 to perform mental subtraction of numbers up to 1000 by complementary addition e.g. <math>1000 - 654</math> as <math>46 + 300</math> in our heads</p> <p>Use complementary addition for subtraction of integers up to 10 000 e.g. <math>2504 - 1878</math></p> <p>Use complementary addition for subtractions of 1-place decimal numbers and amounts of money e.g. <math>£7.30 - £3.55</math></p>																																
5.2																																								
3.3	1.9																																							
<p><b>Y6</b> ×</p>	<p>Know by heart all the multiplication facts up to <math>12 \times 12</math></p> <p>Multiply whole numbers and decimals with up to 3 places by 10, 100 or 1000 e.g. <math>234 \times 1000 = 234\,000</math> e.g. <math>0.23 \times 1000 = 230</math></p> <p>Identify common factors, common multiples and prime numbers and use factors in mental</p>	<p><math>\frac{2}{3} \times \frac{3}{4}</math>      <math>\frac{3}{5}</math> of <math>\frac{5}{9}</math></p>	<p>Use short multiplication to multiply a 1-digit number by a number with up to 4 digits</p> <p>Use long multiplication to multiply a 2-digit number by a number with up to 4 digits</p> <p>Use short multiplication to multiply a 1-digit number by a</p>	<p>Know by heart all the multiplication facts up to <math>12 \times 12</math></p> <p>Multiply whole numbers and 1- and 2-place decimals by 10, 100 and 1000</p> <p>Use an efficient written method to multiply a</p>																																				

# The Coombes Calculation Policy

multiplication

e.g.  $326 \times 6$  is  $652 \times 3$  which is 1956

Use place value and number facts in mental multiplication

e.g.  $4000 \times 6 = 24\ 000$

e.g.  $0.03 \times 6 = 0.18$

Use doubling and halving as mental multiplication strategies, including to multiply by 2, 4, 8, 5, 20, 50 and 25

e.g.  $28 \times 25$  is a quarter of  $28 \times 100 = 700$

Use rounding in mental multiplication

e.g.  $34 \times 19$  as  $(34 \times 20) - 34$

Multiply 1- and 2-place decimals by numbers up to and including 10 using place value and partitioning

e.g.  $3.6 \times 4$  is  $12 + 2.4$

e.g.  $2.53 \times 3$  is  $6 + 1.5 + 0.09$

Double decimal numbers with up to 2 places using partitioning

e.g.  $36.73$  doubled is double 36 (72) plus double 0.73 (1.46)

$$\begin{array}{r} \text{£ } 16.75 \\ \times \quad \quad 7 \\ \hline 453 \\ \hline \text{£ } 117.25 \end{array}$$

		4	9	0	7	
x				1	5	
	4	9	0	7	0	
	2	4	4	5	3	3
	1		1			
	7	3	6	0	5	

number with 1 or 2 decimal places, including amounts of money

Multiply fractions and mixed numbers by whole numbers

Multiply fractions by proper fractions

Use percentages for comparison and calculate simple percentages

1-digit or a teen number by a number with up to 4 digits by partitioning (grid method)

Multiply a 1-place decimal number up to 10 by a number  $\leq 100$  using the grid method

Y6

÷

Know by heart all the division facts up to  $144 \div 12$

Divide whole numbers by powers of 10 to give whole number answers or answers with up to 3 decimal places

Identify common factors, common multiples and primes numbers and use factors in mental division

e.g.  $438 \div 6$  is  $219 \div 3$  which is 73

Use tests for divisibility to aid mental calculation

Use doubling and halving as mental division strategies, for example to divide by 2, 4, 8, 5, 20 and 25

e.g.  $628 \div 8$  is halved three times:

100000s	10000s	1000s	100s	10s	1s	0.1s	0.01s

$$451600 \div 10$$

$$451600 \div 100$$

$$\square\square\square \div 5 = \square\square \text{ r } 3$$

Use short division to divide a number with up to 4 digits by a 1-digit or a 2-digit number

Use long division to divide 3-digit and 4-digit numbers by 'friendly' 2-digit numbers

Give remainders as whole numbers or as fractions or as decimals

Divide a 1-place or a 2-place decimal number by a number  $\leq 12$  using multiples of the

Know by heart all the division facts up to

$144 \div 12$

Divide whole numbers by 10, 100, 1000 to give whole number answers or answers with up to 2 decimal places

Use an efficient written method, involving subtracting powers of 10 times the divisor, to divide any number of up to 1000 by a number  $\leq 12$

e.g.  $836 \div 11$  as  $836 - 770$





# The Coombes Calculation Policy

314, 157, 78.5

Divide 1- and 2-place decimals by numbers up to and including 10 using place value

e.g.  $2.4 \div 6 = 0.4$

e.g.  $0.65 \div 5 = 0.13$

e.g.  $\pounds 6.33 \div 3 = \pounds 2.11$

Halve decimal numbers with up to 2 places using partitioning

e.g. *Half of 36.86 is half of 36 (18) plus half of 0.86 (0.43)*

Know and use equivalence between simple fractions, decimals and percentages, including in different contexts

Recognise a given ratio and reduce a given ratio to its lowest terms

$$\begin{array}{r} 239r2 \\ 4 \overline{) 91538} \end{array}$$

$3187 \div 8$

			3	9	8	r	$\frac{3}{8}$	
8	3	1	7	8	6	7		

divisors

Divide proper fractions by whole numbers

*(70 x 11) leaving 66 which is 6 x 11, giving the answer 76*

Divide a 1-place decimal by a number  $\leq 10$  using place value and knowledge of division facts